

1.  $a$  and  $b$  are odd numbers.

(a) Give an example to show that the value of  $2(a + b)$  is a multiple of 4

$$\text{Let } a = 1$$

$$\text{Let } b = 3$$

$$\therefore 2(a + b)$$

$$= 2(1 + 3) \checkmark$$

$$= 2(4)$$

$$= 8 \checkmark$$

$$\frac{8}{4} = 2$$

(b) Show that, when  $a$  and  $b$  are both odd numbers, the value of  $2(a + b)$  will always be a multiple of 4

$$\text{odd} + \text{odd} = \text{even} \checkmark$$

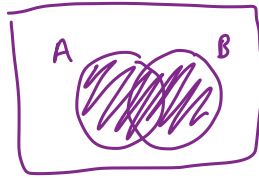
$$2 \times \text{even} = \text{multiple of } 4 \checkmark$$

(2)

(Total for Question is 4 marks)

2.  $A = \{\text{multiples of 5 between 14 and 26}\}$  15, 20, 25  
 $B = \{\text{odd numbers between 14 and 26}\}$  15, 17, 19, 21, 23, 25
- 15 and 25 are repeated = they are members of both A and B

- (a) List the members of  $A \cup B$



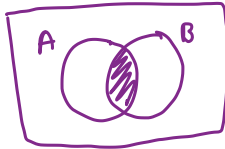
A or B

= entire list (but without repeating numbers)

15, 17, 19, 20, 21, 23, 25

(2)

- (b) Describe the members of  $A \cap B$



A and B

Members of both A and B

15 and 25

(1)

(Total for Question is 3 marks)

3. Write down an **example** to show that each of the following two statements is **not** correct.

(a) The **factors** of an **even** number are always **even**.

$$\underline{\text{odd}} \times \text{even} = \text{even}$$

$$3 \times 2 = 6$$

$$\begin{array}{c} \phantom{3} \phantom{\times} \phantom{2} = \phantom{6} \\ \phantom{3} \phantom{\times} \phantom{2} = \phantom{6} \\ \phantom{3} \phantom{\times} \phantom{2} = \phantom{6} \\ \underline{\phantom{3}} \phantom{\times} \phantom{2} = \phantom{6} \\ \phantom{3} \phantom{\times} \phantom{2} = \phantom{6} \\ \phantom{3} \phantom{\times} \phantom{2} = \phantom{6} \end{array}$$

so this even number will have  
an odd factor

$$3 \times 2 = 6$$

(1)

(b) All the digits in odd numbers are odd.

↑  
Only the last digit of a number determines  
whether it is odd or even

2 3  
↑     ↑  
even   last digit = odd  
So the number  
will be odd regardless  
of any digits before it

23

(1)

(Total for Question is 2 marks)